

Problemen

| Problem Section

Problem A (folklore)

Three gamblers each select a non-negative probability distribution with mean 1. Say these distributions are F, G, H . Then x is sampled from F , y is sampled from G , and z is sampled from H . Biggest number wins. What distributions should the gamblers choose?

Problem B (proposed by Hendrik Lenstra)

For given $m \in \mathbb{Z}_{\geq 3}$, consider the regular m -gon inscribed in the unit circle. We denote the surface of this m -gon by A_m . Suppose m is odd. Prove that $2A_m$ and A_{2m} have the same minimal polynomial.

Problem C (proposed by Nicky Hekster)

Let n be a prime number. Show that there are no groups with exactly n elements of order n . What happens with this statement if n is *not* a prime number?